

Arch
378.2
Haynes

THESIS FOR B. S. DEGREE FROM

WASHINGTON & LEE -----UNIVERSITY.

DESIGN OF 50 FT. PLATE DECK GIRDER.

RESPECTFULLY SUBMITTED BY:---

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WEB ST.

12" bearing plate on abutment
 latest concentrated load = 25000

∴ 43000/17000 = 2.53 in. needed in
 compression.

Total shear at end = 205900 lbs.

205900/15000(allow. shearing stress) = 13.72

1 angle 5"x 3 1/2"x 3/8" = 2.86 in.²

∴ 6 stiffeners angles (5"x 3 1/2"x 3/8") needed to carry
 shear to bearing plates.

Space Intermediate stiffeners 5' 0" apart.

PITCH OF RIVETS IN STIFFENERS (THEORETICAL).

Bear. value of rivets = diam. x thick of plate x allow bear. S
 sq. in.

Use 7/8" rivets.

B. V. = 7/8" x 1/2 x 24000 = 10500 lb./in.²
 (at end)

NO. rivets = Max. shear at end / B. V. = $\frac{205900}{10500} = 20$

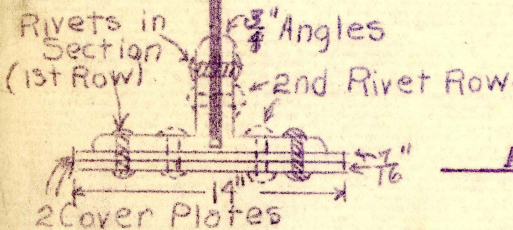
Rivet spacing	Depth	NO. rivets	Pitch
0 section	= 65" --:-	20	= 3"
5 "	= (") --:-	16	= 4"
10 "	= (") --:-	13	= 5"
15 "	= (") --:-	11	= 6"
20 "	= (") --:-	8	= 8"
25 "	= (") --:-	6	= 10"

NO. rivets = shear. stress at section / bear. value (10500) $\frac{lb}{in^2}$

Rivets actually pitched 3" in all stiffeners.

(For spacing in angles cf. Part III pg. 98.)

1/2" Web



EFFECTIVE DEPTH.

(cf. diag.)

AREAS	H. (rivets in cross-section left in)	H. (rivets deducted left in)
2 cover plates 10.50 in. ²	7/16"	7/16"
lower legs angles (included web) 7.50 "	20/16"	20/16"
upper legs angles (included web) 6.380 "	21/16"	21/16"
2.185 "	(68/16") (subtract)	(68/16") (subtract)
	(") (2 x 90/16"	(") (2 x 90/16"
Total 26.877 in. ²	50.7757"	50.7757"
	11.25"	11.25"
	Total ≤ AH = 39.5257"	Total 44.0257" = ≤ AH

M. Inertia = $\frac{\sum Ah^3}{\sum Ah}$ (1st case) $\leq \frac{39.5257}{26.877} = 1.487 \text{ in.}^4$ = $\sum Ah^3$
 = (2nd case) $\frac{44.0257}{26.877} = 1.633 \text{ in.}^4$
 Mean = 1.563 in.⁴

Effective Depth = $65 - (7/16 + 7/16 + 1/8) \times 2 - (2 \times 1.563) = \underline{63.874}$

(cf. pg. 4 for use).

THEORETICAL PITCH OF RIVETS IN FLANGES.

$$\begin{array}{r} \text{Area 2 angles } (6" \times 6" \times 3/8") = 13.88 \text{ in}^2 \\ \text{" 1 plate} = 5.25 \text{ "} \\ \text{Total} = 19.13 \text{ "} \end{array}$$

$$\text{Area web} = 1/2" \times 65" = 13.5 \text{ "} = 4.39 \text{ in}^2$$

$$\text{Bear. value } 7/8" \text{ rivet} = 10500 \text{ lb.}$$

$$\text{Effective depth} = 63.87"$$

$$\text{Wt. on 1 rail is distributed over 3 ties } (42") = 25000 \text{ lbs.}$$

$$\text{Impact} = 25000 \times 72.7\% = 18175 \text{ "}$$

$$\text{Wt. of track on 1 girder} = 205 \frac{\text{lb.}}{\text{ft.}} \times 3 \frac{1}{2} = \frac{715 \text{ "}}{43890 \text{ lb}/42"}$$

$$\therefore 1045 \text{ lb./inch./girder}$$

The moment of the flange stress resisted by flange alone is
lin. inch.

$$\frac{(\text{net area 2 angles} + 1 \text{ cover plate})}{(13.5\% \text{ gross area web} + \text{numerator})} \times \frac{\text{Max shear} \text{ -- (Eq. 1)}}{\text{Effective depth}}$$

$$\text{Section 0 ft. } (19.13 / 23.52) \times (205900 / 63.87) = 26.30$$

$$\text{" 5 " } (") \times (172300 / 63.87) = 2200$$

$$\text{" 10 " } (") \times (140300 / 63.87) = 1790$$

Section 15 there are 2 cover plates

$$\therefore \text{net flange area} = (19.13 + 5.25) = 24.38$$

$$\text{" 15 " } (24.38 / 28.77) \times (109900 / 63.87) = 1460$$

$$\text{" 20 " } (") \times (83000 / 63.87) = 1100$$

$$\text{" 25 " } (") \times (57800 / 63.87) = 770$$

$$\text{Pitch in inches} = \frac{\text{Bear. value } 7/8" \text{ rivet}}{\text{Resultant of (Eq. 1) \& Wt. lin. inch girder}}$$

$$\text{Section 0 ft. } \frac{10500 (=Z \text{ say.})}{\sqrt{(2630)^2 + (1045)^2}} = 3.72" \text{ pitch}$$

$$\text{" 5 " } \frac{Z \text{ (X say)}}{\sqrt{(2200)^2 + (X)^2}} = 4.31" \text{ "}$$

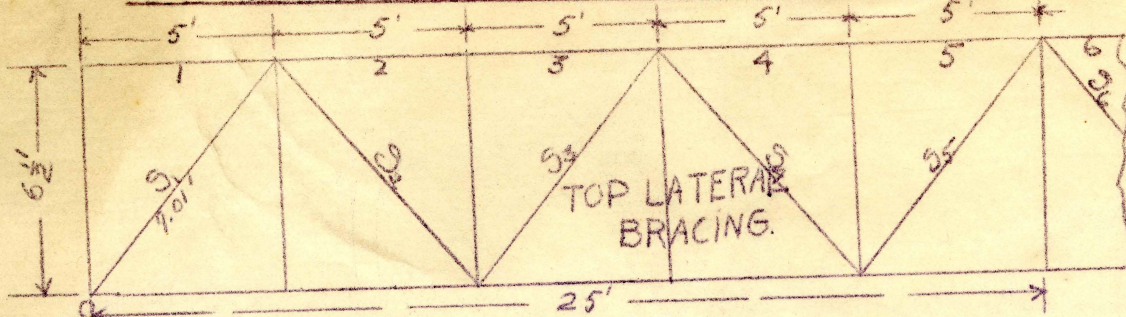
$$\text{" 10 " } \frac{Z}{\sqrt{(1790)^2 + (X)^2}} = 5.08" \text{ "}$$

$$\text{" 15 " } \frac{Z}{\sqrt{(1460)^2 + (X)^2}} = 5.85" \text{ "}$$

$$\text{" 20 " } \frac{Z}{\sqrt{(1100)^2 + (X)^2}} = 6.90" \text{ "}$$

$$\text{" 25 " } \frac{Z}{\sqrt{(770)^2 + (X)^2}} = 8.07" \text{ "}$$

CALCULATIONS FOR LATERAL BRACING.



$150 \times 50 = 7500 \# \therefore \text{Effective reaction} = \frac{3750 \text{ lb.}}{1.125}$
 $150 \times 2.5 = 3750 - 375 = 3375 \text{ lb.}$
 For S, live load = $300 \times 50 = 15000$ "
 Effective reaction = $7500 - 300 \times 2.5 = \frac{6750 \text{ "}}{1.125}$
 Total = 10125 lb.

$\therefore S_1 = 10.125 \text{ K.} \times \sec(\theta)(1.441) = 14.59 \text{ Kips}$
 $P = 300 \times 5 = 1500$

For S_2 $R_1 \times 8p = P(1+2+3+4+5+6)p \therefore R_1 = \frac{21 \times 1500}{8} = 3.938 \text{ K}$

$S_2 = (3.938 + 2.81 (= \text{D.L.}))1.441 = 9.72 \text{ Kips}$

For S_3 $R_1 \times 8p = P(1+2+3+4+5)p \therefore R_1 = \frac{2.81 + 1.78(= \text{D.L.})}{8} = 4.59$

$S_3 = 4.59 \times 1.441 = 6.61 \text{ Kips}$

For S_4 $R_1 \times 8p = P(1+2+3+4)p \therefore R_1 = \frac{1.875 + 0.94(= \text{D.L.})}{8} = 2.81 \text{ Kips.}$

$S_4 = 2.81 \times 1.441 = 4.05 \text{ Kips.}$

$9.61 \text{ ft.} = 108.12 - 24.12 = 84"$
 Since $L/r = 120$ $r = 84/120 = 0.701 \text{ in.}$

4x4x3/8" angles give $r = 0.79$ with area = 2.86 in².

Column Formula (cf. Merriman's Mechanics of Materials,) gives

$p = (17000 / (1 + 1/11000)) \times L/r^2$

substituting $p = 7360$

For (1) cf. fig.) $14.59/7.36 = 1.98 \text{ in}$ needed

$\therefore 4" \times 4" \times 3/8"$ angles O.K. for diag.

For struts use 3 1/2" x 3 1/2" x 3/8" angle

Each diag. intermediate cross frame use 3 1/2" x 3 1/2" x 3/8" angles

For End Cross Frame diag. are channels (cf. drawing).

Top horizontals perpendicular girder use 3 1/2" x 3 1/2" x 3/8" angles.

Lower " " " " 3 1/2" x 3 1/2" x 3/8" angles.

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